

A proof system for exception handling in multithreaded *Java*

Erika Ábrahám Frank S. de Boer Willem-Paul de Roever Martin Steffen

Christian-Albrechts University Kiel

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Structure

introduction

The programming language

The assertional proof system

assertion language

verification conditions

conclusion

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Motivation

- Safety-critical *Java* application areas
→ need for verification
- model checking: mostly for finite state systems
- existing deductive methods: mostly for sequential *Java*

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Multithreaded core of *Java* with exceptions

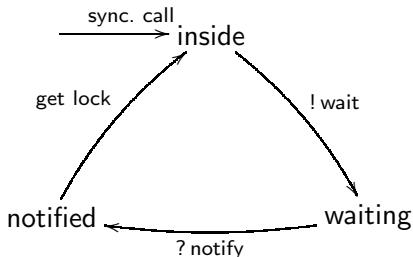
- class-based object-oriented language
- dynamically heap-allocated objects, aliasing
- method invocation, recursion, self-calls
- multithreading
- wait & notify **monitor synchronization**
- here in particular: **exception handling**
- not covered (yet): inheritance, polymorphism, inner classes
- . . .

Multithreading

- **threads** = sequential sequence of actions
- method calls/returns: **stack** of method bodies, each with **local** variables
- running in **parallel**
- **sharing** instance states
- **dynamically created** as instances of thread classes (+ explicitly **started**)

Monitors

- each object can act as **monitor**:
 - **mutual exclusion** between *synchronized* methods of a single instance
 - monitor **coordination** via methods: **wait**, **notify**, **notifyAll**



Exceptions

```

class Inc extends Thread{
  int x;
  public void m(){
    E v;
    try{
      /*statements possibly throwing exceptions*/
      ... throw v; ...
    }
    catch (E1 u){/*handle exceptions of type E1*/}
    ...
    catch (En u){/*handle exceptions of type En*/}
    finally{/*clean up*/}
  }
}

class E extends Exception{...} ...

```

Semantics: Exception handling

```
try{
  try{
    v = new E();
    throw v;
    stmt;
  }
  catch (E u){
    stmt;
  }
  finally{
    stmt;
  }
  stmt;
}
catch (E w){
  stmt;
}
finally{
  stmt;
}
```

Semantics: Exception handling

```
try{
  try{
    v = new E();
    throw v; // v IS THROWN
    stmt;
  }
  catch (E u){
    stmt;
  }
  finally{
    stmt;
  }
  stmt;
}
catch (E w){
  stmt;
}
finally{
  stmt;
}
```

Semantics: Exception handling

```
try{
  try{
    v = new E();
    throw v;    // v IS THROWN
    stmt;
  }
  catch (E u){  // v IS CAUGHT
    stmt;
  }
  finally{
    stmt;
  }
  stmt;
}
catch (E w){
  stmt;
}
finally{
  stmt;
}
```

Semantics: Exception handling

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    stmt;
  }
  stmt;
}
catch (E w){
  stmt;
}
finally{
  stmt;
}
```

Semantics: Exception handling

```
void m1(){
    try{
        this.m2();
    }
    catch (E w){
        stmt;
    }
    finally{
        stmt;
    }
    stmt;
}

void m2(){
    v = new E();
    throw v;
    stmt;
}
```


Semantics: Exception handling

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void m1(){
    try{
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    }
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Semantics: Exception handling

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}

void m2(){
    v = new E();
    throw v; //v IS THROWN
    stmt;
}
```

Semantics: Exception handling

```
void m1(){
  try{
    this.m2();    //v IS RETHROWN
  }
  catch (E w){
    stmt;
  }
  finally{
    stmt;
  }
  stmt;
}

void m2(){
  v = new E();
  throw v;    //v IS THROWN
  stmt;
}
```

Semantics: Exception handling

```
void m1(){
  try{
    this.m2(); //v IS RETHROWN
  }
  catch (E w){ //v IS CAUGHT
    stmt;
  }
  finally{
    stmt;
  }
  stmt;
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void m2(){
  v = new E();
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  stmt;
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Semantics: Exception handling

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void m1(){
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    this.m2();    //v IS RETHROWN
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  v = new E();
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Semantics: Exception handling

```
void m1(){
  try{
    this.m2();    //v IS RETHROWN
  }
  catch (E w){   //v IS CAUGHT
    stmt;
  }
  finally{
    stmt;
  }
  stmt;
}

void m2(){
  v = new E();
  throw v;    //v IS THROWN
  stmt;
}
```

Semantics: Exception handling

```
void m(){
  try{
    v = new E();
    throw v;
    stmt;
  }
  catch (E' u){
    stmt;
  }
  finally{
    u = new E''();
    throw u;
  }
  stmt;
}
```

Semantics: Exception handling

```
void m(){
  try{
    v = new E();
    throw v; //v IS THROWN
    stmt;
  }
  catch (E' u){
    stmt;
  }
  finally{
    u = new E''();
    throw u;
  }
  stmt;
}
```

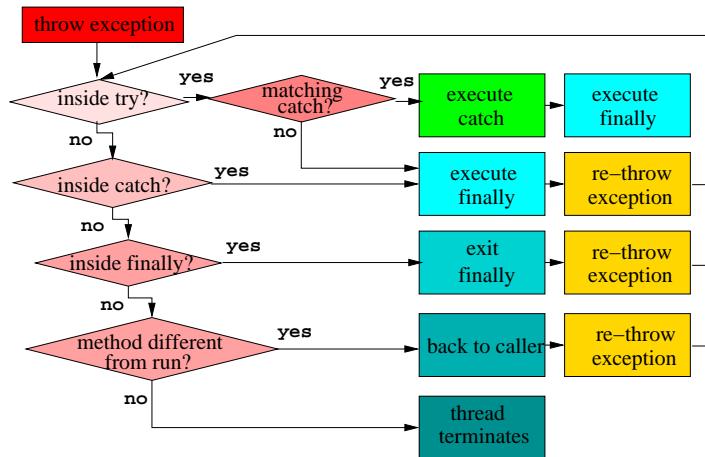

Semantics: Exception handling

```
void m(){
  try{
    v = new E();
    throw v; //v IS THROWN
    stmt;
  }
  catch (E' u){
    stmt;
  }
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    u = new E''();
    throw u; //u IS THROWN
  }
  stmt;
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```

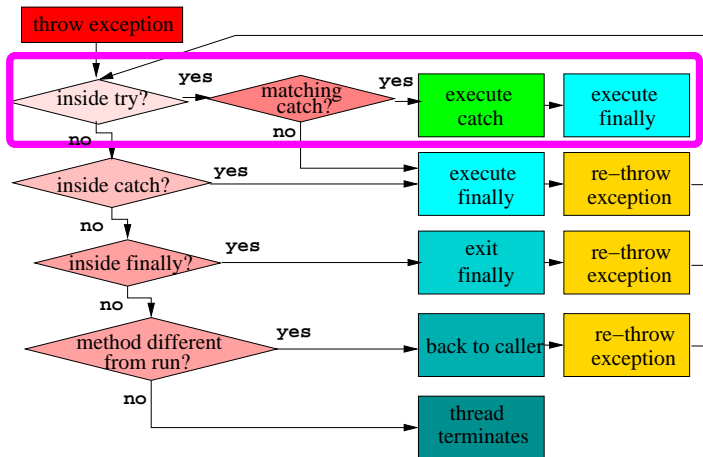
Semantics: Exception handling

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  finally{
    u = new E''();
    throw u; //u IS THROWN
  } //u IS RETHROWN
  stmt;
}
```

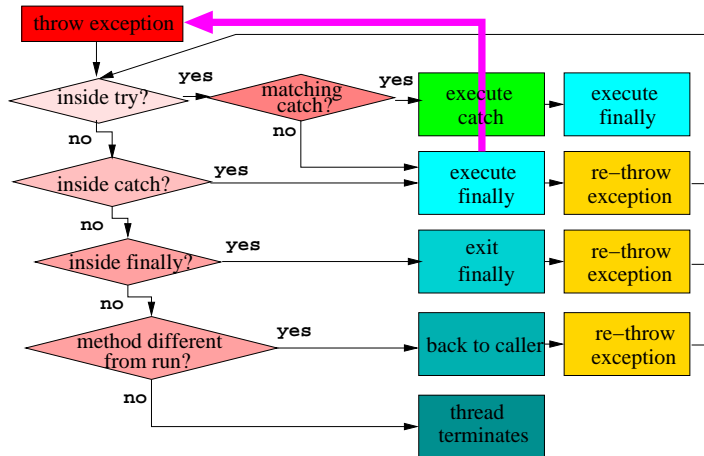
Semantics: Exception handling



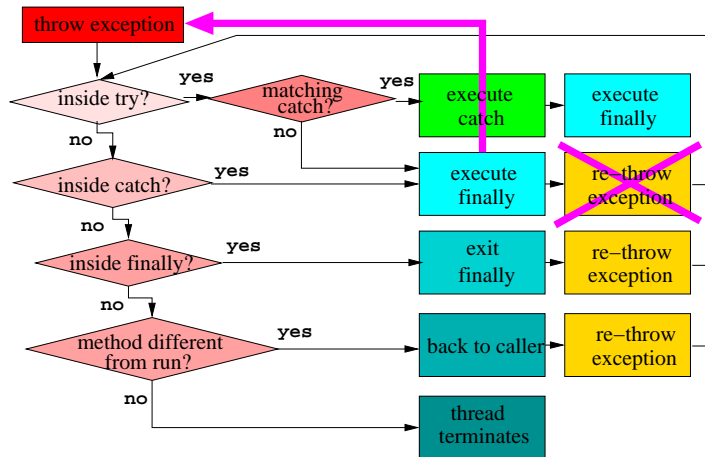
Semantics: Exception handling



Semantics: Exception handling



Semantics: Exception handling



Abstract syntax

$$\begin{aligned}
 e &::= x \mid u \mid \text{this} \mid \text{null} \mid f(e, \dots, e) \\
 e_{ret} &::= \epsilon \mid e \\
 stm &::= x := e \\
 &\quad \mid u := e \mid u := \text{new}^c \mid u := e.m(e, \dots, e) \mid e.m(e, \dots, e) \\
 &\quad \mid \text{throw } e \\
 &\quad \mid \text{try } stm \text{ catch } (c \ u) \ stm \dots \text{ catch } (c \ u) \ stm \text{ finally } stm \text{ yr}t \\
 &\quad \mid \epsilon \mid stm; stm \mid \text{if } e \text{ then } stm \text{ else } stm \text{ fi} \mid \text{while } e \text{ do } stm \text{ od} \dots \\
 \text{modif} &::= \text{nsync} \mid \text{sync} \\
 \text{meth} &::= \text{modif } m(u, \dots, u) \{ stm; \text{return } e_{ret} \} \\
 \text{meth}_{run} &::= \text{nsync run}() \{ stm; \text{return} \} \\
 \text{meth}_{predef} &::= \text{meth}_{start} \text{ meth}_{wait} \text{ meth}_{notify} \text{ meth}_{notifyAll} \\
 \text{class} &::= \text{class } c \{ \text{meth} \dots \text{meth} \text{ meth}_{run} \text{ meth}_{predef} \} \\
 \text{class}_{main} &::= \text{class} \\
 \text{prog} &::= \langle \text{class} \dots \text{class } \text{class}_{main} \rangle
 \end{aligned}$$

Semantics

states

local	τ	values of local vars
global	σ	values of instance vars for each <i>existing</i> object

configurations

local	(α, τ, stm)	local state + point of exec.
thread	$(\alpha_0, \tau_0, stm_0) \dots (\alpha_n, \tau_n, stm_n)$	stack of local confs
global	$\langle T, \sigma \rangle$	set of thread confs + global state

Impressionistic view on SOS

$$\langle T \cup \{\xi \circ (\alpha, \tau, \text{try } stm), \sigma\} \rangle \longrightarrow \langle T \cup \{\xi \circ (\alpha, \tau, stm)\}, \sigma \rangle \quad \text{TRY}$$

$$\langle T \cup \{\xi \circ (\alpha, \tau, \text{yrt}; stm), \sigma\} \rangle \longrightarrow \langle T \cup \{\xi \circ (\alpha, \tau, stm)\}, \sigma \rangle \quad \text{FINALLY}_{\text{out}}$$

$$\langle T \cup \{\xi \circ (\alpha, \tau, \text{yrt}_{j,i}; stm), \sigma\} \rangle \longrightarrow \langle T \cup \{\xi \circ (\alpha, \tau, \text{throw } \beta; stm), \sigma\} \rangle \quad \text{FINALLY}_{\text{out}}^{\text{exc}}$$

$$\frac{n \geq 0}{\langle T \cup \{\xi \circ (\alpha, \tau, \text{catch } (c_1 u_1) stm_1 \dots \text{catch } (c_n u_n) stm_n \text{ finally } stm \text{ yrt}; stm'), \sigma\} \rangle \longrightarrow \langle T \cup \{\xi \circ (\alpha, \tau, stm \text{ yrt}; stm'), \sigma\} \rangle} \text{FINALLY}_{\text{in}}$$

$$\frac{\begin{array}{l} \text{stm is try-closed} \quad \text{stm}' = \text{catch } (c_1 u_1) stm_1 \dots \text{catch } (c_n u_n) stm_n \text{ finally } stm_{n+1} \text{ yrt} \\ 1 \leq i \leq n \quad \llbracket e \rrbracket_{\mathcal{E}}^{\sigma(\alpha), \tau} \in \text{Val}^{\mathcal{C}} \quad \forall 1 \leq j < i. \llbracket e \rrbracket_{\mathcal{E}}^{\sigma(\alpha), \tau} \notin \text{Val}^{\mathcal{C}} \\ \tau' = \tau[u_i \mapsto \llbracket e \rrbracket_{\mathcal{E}}^{\sigma(\alpha), \tau}] \end{array}}{\langle T \cup \{\xi \circ (\alpha, \tau, \text{throw } e; stmstm'; stm''), \sigma\} \rangle \longrightarrow \langle T \cup \{\xi \circ (\alpha, \tau', stm \text{ finally } stm_{n+1} \text{ yrt}; stm''), \sigma\} \rangle} \text{CATCH}$$

$$\frac{\begin{array}{l} \text{stm is try-closed} \quad \text{stm}' = \text{catch } (c_1 u_1) stm_1 \dots \text{catch } (c_n u_n) stm_n \text{ finally } stm_{n+1} \text{ yrt} \\ \llbracket e \rrbracket_{\mathcal{E}}^{\sigma(\alpha), \tau} = \beta \neq \text{null} \quad 0 \leq n \quad \forall 1 \leq i \leq n. \llbracket e \rrbracket_{\mathcal{E}}^{\sigma(\alpha), \tau} \notin \text{Val}^{\mathcal{C}} \end{array}}{\langle T \cup \{\xi \circ (\alpha, \tau, \text{throw } e; stmstm'; stm''), \sigma\} \rangle \longrightarrow \langle T \cup \{\xi \circ (\alpha, \tau, stm_{n+1} \text{ yrt}_{j,i}; stm''), \sigma\} \rangle} \text{FINALLY}_{\text{in}}^{\text{exc}}$$

$$\frac{\text{stm is try-closed} \quad \llbracket e \rrbracket_{\mathcal{E}}^{\sigma(\alpha), \tau} = \beta \neq \text{null}}{\langle T \cup \{\xi \circ (\alpha, \tau, \text{throw } e; stm \text{ yrt}_{j,i}; stm'), \sigma\} \rangle \longrightarrow \langle T \cup \{\xi \circ (\alpha, \tau, \text{yrt}_{j,i}; stm'), \sigma\} \rangle} \text{THROWFINALLY}$$

$$\frac{\text{stm}' \text{ is try-closed} \quad \llbracket e \rrbracket_{\mathcal{E}}^{\sigma(\alpha), \tau'} = \gamma \neq \text{null}}{\langle T \cup \{\xi \circ (\alpha, \tau, \text{receive } u_{\text{out}}; stm) \circ (\beta, \tau', \text{throw } e; stm'), \sigma\} \rangle \longrightarrow \langle T \cup \{\xi \circ (\alpha, \tau, \text{throw } \gamma; stm), \sigma\} \rangle} \text{RETURN}^{\text{exc}}$$

$$\frac{\text{stm is try-closed} \quad \llbracket e \rrbracket_{\mathcal{E}}^{\sigma(\alpha), \tau} = \beta \neq \text{null}}{\langle T \cup \{\xi \circ (\alpha, \tau, \text{throw } e; stm; \text{return}), \sigma\} \rangle \longrightarrow \langle T \cup \{\xi \circ (\alpha, \tau, \text{return}_{j,i}), \sigma\} \rangle} \text{TERMINATE}^{\text{exc}}$$

introduction

The programming language

The assertional proof system
assertion language
verification conditions

conclusion

The assertional proof system

Verification process:

1. define a **proof outline** through
 - **augmentation** by **auxiliary variables** and
 - **annotation**, which specifies **invariant** properties.
2. generate **verification conditions** for
 - **initial** correctness and
 - for the inductive step for
 - **local** correctness,
 - **interference freedom** test, and
 - **cooperation** test.
3. **prove** the verification conditions

Augmentation

Built-in auxiliary variables:

- **local configuration id:** aux. local variable
- **thread id:** aux. formal parameter
- **identification of caller:** aux. formal parameter
- **capture monitor discipline:** aux. instance variables
- **exception handling:** aux. local variables store the thrown but not yet caught exceptions

Augmentation

User-defined augmentation: (for exceptions)

- $\text{throw } e \langle \vec{y} := \vec{e} \rangle^{\text{throw}}$
- $\text{try} \dots \text{yrt} \langle \vec{y} := \vec{e} \rangle^{\text{rethrow}}$
- $u := e_0.m(\vec{e}); \langle \vec{y}_1 := \vec{e}_1 \rangle^{\text{!call}} \langle \vec{y}_4 := \vec{e}_4 \rangle^{\text{?ret}} \langle \vec{y}' := \vec{e}' \rangle^{\text{rethrow}}$
- $\langle \vec{y}_2 := \vec{e}_2 \rangle^{\text{?call}} \text{stm}; \text{return } e_{\text{ret}} \langle \vec{y}_3 := \vec{e}_3 \rangle^{\text{!ret}}$
- ...

The assertion language

Local sublanguage: properties of method execution

$$\begin{aligned}
 exp_l & ::= z \mid x \mid u \mid \text{this} \mid \text{null} \mid f(exp_l, \dots, exp_l) \\
 ass_l & ::= exp_l \mid \neg ass_l \mid ass_l \wedge ass_l \\
 & \quad \mid \exists z:\text{Int}. ass_l \dots \\
 & \quad \mid \exists(z:\text{Object}) \in exp_l. ass_l \mid \exists(z:\text{Object}) \sqsubseteq exp_l. ass_l
 \end{aligned}$$

Global sublanguage: properties of communication/object structure

$$\begin{aligned}
 exp_g & ::= z \mid exp_g.x \mid \text{null} \mid f(exp_g, \dots, exp_g) \\
 ass_g & ::= exp_g \mid \neg ass_g \mid ass_g \wedge ass_g \mid \exists z. ass_g
 \end{aligned}$$

Annotation

An **annotation** assigns

- local **assertions** to all control points;
- a **class invariant** to each class;
- a **global invariant** to the program.

For example:

- $\{p_0\} \text{ throw } e \{p_1\}^{\text{throw}} \langle \vec{y} := \vec{e} \rangle^{\text{throw}} \{p_2\}$
- $\{p_0\} \text{ try } \dots \text{yrt } \{p_1\}^{\text{exc}} \{p_2\}^{\text{rethrow}} \langle \vec{y} := \vec{e} \rangle^{\text{rethrow}} \{p_3\}$
- $\{p_0\} u := e_0.m(\vec{e}); \dots \{p_1\}^{\text{exc}} \{p_2\}^{\text{rethrow}} \langle \vec{y}' := \vec{e}' \rangle^{\text{rethrow}} \{p_3\}$

Example: Proof outline

```

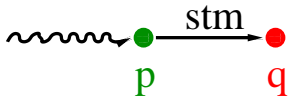
class Inc{
  int x;
  public void m(){
    try {
      while (true){
        inc(); {x == 100 ∧ hastype(exc, E)}exc
      } {false}
    }
    catch (E u){ {x == 100} }
    finally { {x == 100} } {x == 100}exc {x == 100}
    return; }

  public synchronized void inc(){
    E v;
    if (x==100) { {x == 100}
      v = new E(); {x == 100 ∧ hastype(v, E)}
      throw v; {false}
    } {x != 100}
    x = x+1;
    return; }
}

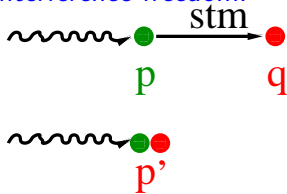
```


Verification conditions

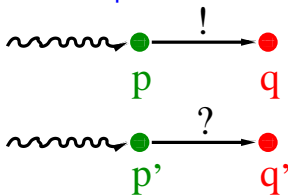
Local correctness:



Interference freedom:



Cooperation test:



Local correctness

$\{p\}$	try	$\{p_0\}$	$\dots \{q_0\}$	throw $e \dots$	$\{p'_0\}$	
	catch($c_1 u_1$)	$\{p_1\}$	stm_1		$\{p'_1\}$	\dots
	catch($c_n u_n$)	$\{p_n\}$	stm_n		$\{p'_n\}$	
	finally	$\{p_{fin}\}$	stm_{fin}		$\{p'_{fin}\}$	
	yrt				$\{p_{exc}\}^{exc}$	$\{p'\}$

$$\models_{\mathcal{L}} \{q_0 \wedge e \neq \text{null} \wedge \text{hastype}(e, c_i) \wedge \forall 1 \leq j < i. \neg \text{hastype}(e, c_j)\}$$

$$u_i := e;$$

$$\{p_i\}$$

Local correctness

$$\begin{array}{llll}
 \{p\} & \text{try} & \{p_0\} & \dots \{q_0\} \text{ throw } e \dots \{p'_0\} \\
 & \text{catch}(c_1 u_1) & \{p_1\} & \text{stm}_1 \{p'_1\} \dots \\
 & \text{catch}(c_n u_n) & \{p_n\} & \text{stm}_n \{p'_n\} \\
 & \text{finally} & \{p_{\text{fin}}\} & \text{stm}_{\text{fin}} \{p'_{\text{fin}}\} \\
 & \text{yrt} & & \{p_{\text{exc}}\}^{\text{exc}} \{p'\}
 \end{array}$$

$$\models_{\mathcal{L}} \{q_0 \wedge e \neq \text{null} \wedge \text{hastype}(e, c_i) \wedge \forall 1 \leq j < i. \neg \text{hastype}(e, c_j)\}$$

$$u_i := e;$$

$$\{p_i\}$$

$$\models_{\mathcal{L}} \{q_0 \wedge e \neq \text{null} \wedge \forall 1 \leq j \leq n. \neg \text{hastype}(e, c_j)\}$$

$$u := e;$$

$$\{p_{\text{fin}}\}$$

Interference freedom

- Variables **shared** within one instance \Rightarrow **interference**
- **When** exactly can different method executions interfere?
 - **different** threads, except one is starting the other
 - the **same** thread, except *matching* communication pairs

$$\models_{\mathcal{L}} pre(\vec{y} := \vec{e}) \wedge q' \wedge \text{interferes}(q', \vec{y} := \vec{e}) \rightarrow q'[\vec{e}/\vec{y}]$$

where $\text{interferes}(q', \vec{y} := \vec{e})$ is defined as

$$\begin{aligned} \text{thread} = \text{thread}' &\rightarrow \text{waits_for_ret}(q, \vec{y} := \vec{e}) \wedge \\ \text{thread} \neq \text{thread}' &\rightarrow \neg \text{self_start}(q, \vec{y} := \vec{e}). \end{aligned}$$

Cooperation test for exceptions

caller: $u_{ret} := e_0.m(\vec{e}) \dots \{p_1\}^{wait} \quad \{p_2\}^{?ret} \langle \vec{y}_4 := \vec{e}_4 \rangle^{?ret} \quad \{p_3\}^{exc}$
 callee: $m(\vec{u}) \{ \dots \{q_1\}^{throw e} \quad \{q_2\}^{throw} \langle \vec{y}_3 := \vec{e}_3 \rangle^{throw} \dots \}$

$$\models_G \quad \{GI \wedge P_1(z) \wedge Q'_1(z') \wedge \text{comm}\} \\ \text{exc} := E'(z') \\ \{P_2(z) \wedge Q'_2(z')\}$$

$$\models_G \quad \{GI \wedge P_1(z) \wedge Q'_1(z') \wedge \text{comm}\} \\ \text{exc} := E'(z'); \quad z'.\vec{y}'_3 := \vec{E}'_3(z'); \quad z.\vec{y}_4 := \vec{E}_4(z) \\ \{GI \wedge P_3(z)\}$$

with

$$\text{comm} = E_0(z) = z' \wedge \vec{u}' = \vec{E}(z) \wedge E'(z') \neq \text{null} \wedge \\ z \neq \text{null} \wedge z' \neq \text{null}$$

Cooperation test for exceptions

caller: $u_{ret} := e_0.m(\vec{e}) \dots \{p_1\}^{wait} \quad \{p_2\}^{?ret} \langle \vec{y}_4 := \vec{e}_4 \rangle^{?ret} \quad \{p_3\}^{exc}$
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$$\models_G \quad \{GI \wedge P_1(z) \wedge Q'_1(z') \wedge \text{comm}\} \\ \text{exc} := E'(z') \\ \{P_2(z) \wedge Q'_2(z')\}$$

$$\models_G \quad \{GI \wedge P_1(z) \wedge Q'_1(z') \wedge \text{comm}\} \\ \text{exc} := E'(z'); \quad z'.\vec{y}_3 := \vec{E}_3(z'); \quad z.\vec{y}_4 := \vec{E}_4(z) \\ \{GI \wedge P_3(z)\}$$

with

$$\text{comm} = E_0(z) = z' \wedge \vec{u}' = \vec{E}(z) \wedge E'(z') \neq \text{null} \wedge \\ z \neq \text{null} \wedge z' \neq \text{null}$$

Results & tool support

- modular proof system

⇒ *The proof system is **sound** and (relative) **complete***

- *Verger*
 - takes a proof outline as input,
 - generates the verification conditions, which are
 - verified in *PVS* interactively
 - no exceptions yet

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Related work

- Pierik, de Boer [8]
 - inheritance, subtyping
 - sequential
- de Boer, Amerika (Pool) [4] ...
- exceptions in Jacobs/Huisman [7, 6]
- Poetzsch-Heffter, Müller [9], sequential *Java*.
- M. Huisman, B. Jacobs, et.al (Loop, PVS+Isabelle) [5] ...
- etc.

Conclusion

Future work:

- PVS optimization
- automatic generation of annotation/augmentation
- inheritance etc.
- compositionality

References I

- [1] E. Ábrahám.
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