

# Deadlock Checking by Data Race Detection

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## Goal

Find *potential* deadlocks in programs *statically* by detecting data race

- Data race
  - Simultaneous access to shared data with at least one write access
  - Shared data: mutable, unprotected
- Deadlock
  - Multiple processes wait for shared resources in a cycle
  - E.g. critical region
  - Protected by *locks*

General approach:

- Reduce the problem of deadlock checking to race checking
- Instrument programs with appropriate **shared variable accesses**, called *race variables*
- Programs with deadlocks  
     $\implies$  data race in the transformed one

Assume the original programs are **race free**

- Functional language
- Higher-order
- Dynamic thread creation
- Dynamic lock creation
- Non-lexically scoped locks

$$\begin{aligned} t &::= \text{stop} \mid v \mid \text{let } x:T = e \text{ in } t \\ e &::= t \mid v \ v \mid \text{if } e \text{ then } e \text{ else } e \mid \\ &\quad \text{spawn } t \mid \text{new } L \mid v. \text{lock} \mid v. \text{unlock} \\ v &::= x \mid ! \mid \text{fn } x:T. t \mid \text{fun } f:T.x:T. t \end{aligned}$$

- Captures *static program points* where deadlocks can actually manifest themselves with a *type and effect system*
- Uses *program points*  $\pi$ , to characterize locks according to their origin
- Uses *constraints* to derive the *smallest* possible types
  - In terms of the originating locations
- Tracks *relative change* to the lock count
- Analyzes each thread *locally*

Judgements:

$$\Gamma \vdash e : T :: \varphi; C$$

Types and effects are described by:

$T ::= B \mid L^r \mid T \xrightarrow{\varphi} T$	types
$r ::= \varrho \mid \{\pi\} \mid r \cup r$	lock/label sets
$\varphi ::= \Delta \rightarrow \Delta$	effects/pre- and post specification
$\Delta ::= \bullet \mid \Delta, \varrho:n$	abstract state
$C ::= \emptyset \mid \varrho \supseteq r, C$	constraints

$$\frac{\varrho \text{ fresh}}{\Gamma \vdash \text{new}_{\pi} L : L^{\varrho} :: \Delta \rightarrow \Delta; \varrho \supseteq \{\pi\}} \text{T-NEWL}$$

$$\frac{\Gamma \vdash e : \hat{T} :: \bullet \rightarrow \Delta_2; C}{\Gamma \vdash \text{spawn } e : \text{Thread} :: \Delta_1 \rightarrow \Delta_1; C} \text{T-SPAWN}$$

$$\frac{\Gamma \vdash v : L^{\varrho} :: \Delta_1 \rightarrow \Delta_1; C \quad \Delta_2 = \Delta_1 \oplus \varrho}{\Gamma \vdash v. \text{lock} : L^{\varrho} :: \Delta_1 \rightarrow \Delta_2; C} \text{T-LOCK}$$

# Second lock point

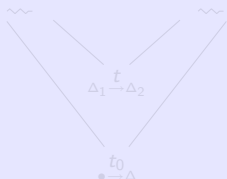
- *Second lock point* (*slp*)
  - A *static* over-approximation of program points where deadlocks can actually manifest themselves
  - $p$  holds  $\pi_1$  and tries to take  $\pi_2$
  - A direct consequence of deadlocks
- The type and effect system works **thread-locally**
- Derives potential *slp* **per thread** wrt. a given cycle  $\Delta_C$
- **Abstract cycle**  $\Delta_C$ 
  - A sequence of pairs  $p_1 : \pi_1; \dots p_n : \pi_n$
  - Interpreted as process  $p_1$  has  $\pi_1$  and wants  $\pi_2$



## Second lock point

Given  $\bullet \vdash_p t_0 : \Delta$ ,  $t$  is a *static second lock point* if:

- 1  $t = \text{let } x: L\{\dots, \pi, \dots\} = v. \text{lock in } t'$ .
- 2  $\Delta_1 \vdash_p t :: \Delta_2$ , for some  $\Delta_1$  and  $\Delta_2$ , occurs in a sub-derivation of  $\bullet \vdash t_0 :: \Delta$ .



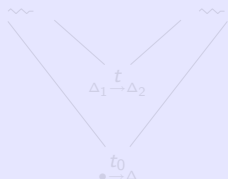
- 3 there exists  $\pi'$  s.t.

$\pi' \in \Delta_1$ ,  $\Delta_C \vdash_p$  has  $\pi'$ , and  $\Delta_C \vdash_p$  wants  $\pi$

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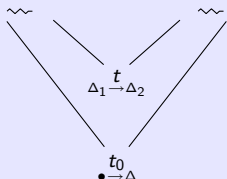
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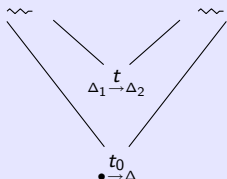
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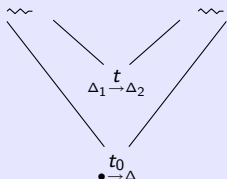
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# Transformation

For **three** dining philosophers:

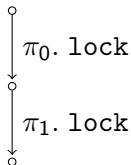
- $\Delta_C$  is given as

$p_0 : \pi_0$

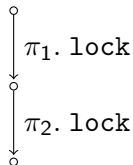
$p_1 : \pi_1$

$p_2 : \pi_2$

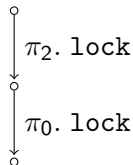
$p_0$



$p_1$



$p_2$



# Transformation

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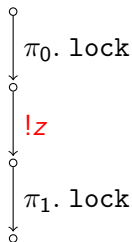
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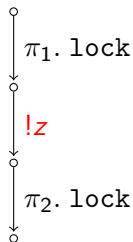
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$p_2 : \pi_2$

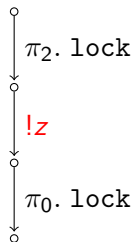
$p_0$



$p_1$



$p_2$



- Reduce deadlock checking to race checking
  - Races are *binary*, whereas deadlocks in general are not
  - To compensate, add locks appropriately
- Gate locks
  - *Short-lived locks*
    - No **locking**-step before a short-lived lock is released
  - Variable access between locking and unlocking steps
  - One variable is guarded by one gate lock
  - Does not lead to more deadlocks



# Gate locks

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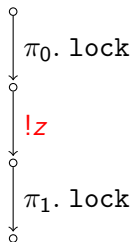
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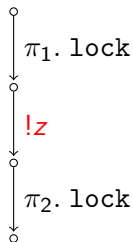
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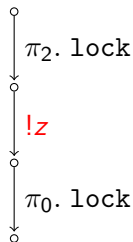
$p_0$



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# Gate locks

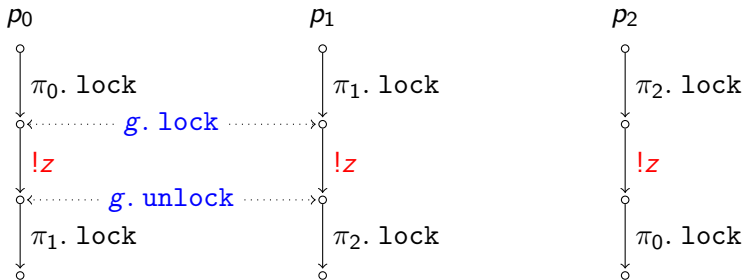
For **three** dining philosophers:

- $\Delta_C$  is given as

$p_0 : \pi_0$

$p_1 : \pi_1$

$p_2 : \pi_2$



Gate lock for  $p_2$ ?

- **Goblint**
  - Does not check deadlocks
- **JFP** (Java Path Finder)
- **Chord**
  - Checks deadlock of length 2
  - Recognizes locks held using synchronized

	C	Java			
		synchronized		explicit locks	
	Goblint	JPF	Chord	JPF	Chord
<i>Datarace</i>	<i>yes</i>	<i>yes</i>	<i>yes</i>	<i>yes</i>	<i>yes</i>
<i>Deadlock 2</i>	<i>N/A</i>	<i>yes</i>	<i>yes</i>	<i>yes</i>	<i>N/A</i>
<i>Deadlock 3</i>	<i>N/A</i>	<i>yes</i>	<i>N/A</i>	<i>yes</i>	<i>N/A</i>

- Formal description of the type and effect system
- Transformation guarantees each  $s/p$  is protected by the same variable
- Prove soundness of the approach
  - Programs with (potential) deadlocks  
 $\implies$  data race in the transformed one
  - Race free in the transformed program  
 $\implies$  deadlock free in the original one